Polarized (Surface) X-Rays from Highly Magnetized Neutron Stars

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Thermal (Surface) Radiation from Neutron Stars

Probe the near vicinity and interior of NSs:

M/R, EOS, cooling history (exotic processes), surface B and composition





Radio Pulsars



PSR B0656+14 (one of three musketeers)

De Luca et al. 2005



Magnetars



Quiscent emission: Blackbody T=0.5 keV, Power-law n=2.7-3.5

Central Compact Objects (CCOs) in SNRs



- -- 6-8 sources
- -- Several have P, Pdot
- -- Two have absorption lines

1E 1207-5209: T=2 MK, lines at 0.7, 1.4 KeV (Sanwal et al. 2002; Mereghetti et al. 2002; Bignami et al 2003;Mori et al. 2005)



"Dim" Isolated NSs

"Perfect" X-ray blackbody: RX J1856.5-3754



Spectral lines detected:

(e.g., van Kerkwijk & Kaplan 06; Haberl 06)

RXJ1308+2127 (0.2-0.3 keV) RXJ1605+3249 (~0.45 keV) RXJ0720-3125 (~0.3 keV) RXJ0420-5022 (~0.3 keV)? RXJ0806-4123 (~0.5 keV)? RBS 1774 (~0.7 keV)?

Burwitz et al. (2003)

 $\implies B \sim 10^{13-14}$ G? magnetar descendant & off-beam radio pulsar?

Isolated Neutron Stars (as revealed by X-rays)

--Radio pulsars

--Magnetars

--Other radio-quiet NSs:

--Central Compact Objects in SNRs

--"Dim" isolated NSs

Future goals:

--Understand the evolution and links between different types of NSs

--Understand observed manifestations of theses NSs

(e.g., Radiative processes in NS atmospheres and magnetospheres)

--Use these NSs to probe physics under extreme conditions

(e.g., Strong gravity, high density, and strong B fields)

X-ray polarization provides a new window (in addition to spectra/timing) Even when spectrum or light curve is boring, polarization can still be interesting

Polarized (Surface) X-Rays from Highly Magnetized Neutron Stars

- 1. Basic polarization signals
- 2. QED effects in polarization signals
- 3. Probe axions

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Also thanks to experimentalists (e.g. Costa et al 2001) for motivation; to Jean Swank and Tim Kallman for push/encouragement

Surface emission from magnetic NSs is highly polarized (up to 100%)

Gnedin & Sunyaev 1974 Pavlov & Shibanov 1978 Meszaros et al. 1988 Pavlov & Zavlin 2000 Ho & DL 2001 Heyl et al. 2003

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Photon Polarization Modes in a Magnetized Plasma

 $(\omega \ll \omega_{ce} = 11.6 B_{12} \text{ keV})$

Ordinary Mode (O-mode, //-mode):

E nearly in the **k-B** plane $|K| = |E_x/E_y| >> 1$

Extraordinary Mode (X-mode, ⊥-mode):

E nearly \perp **k-B** plane $|K| = |E_x/E_y| \ll 1$



The two modes have different opacities (scattering, absorption): X-mode O-mode

$$\begin{split} \kappa_{\text{(O-mode)}} &\sim \kappa_{(B=0)} \\ \kappa_{\text{(X-mode)}} &\sim \kappa_{(B=0)} \; (\omega/\omega_{ce})^2 \end{split}$$

X-mode photons are the main carrier of X-ray flux (Two photospheres)

Putting a polarimeter on the NS surface...



Degree of linear Polarization at emission point



Observer



General Expected X-ray Polarization Characteristics

- Polarization vector ⊥ or // to k-µ plane (depending on E and surface |B|) even when surface field is non-dipole!
- Linear polarization sweep ==> geometry ("rotating vector model" for radio pulsars)
- Polarization signals can be very different even when total intensities are similar



$$\frac{(Q^2 + U^2)^{1/2}}{I} = \text{Linear Polarization Fraction}$$
$$\frac{Q}{(Q^2 + U^2)^{1/2}} = \cos 2\Phi_{\text{Pl}}$$

Information Carried by Polarization Signals:

- Geometry (dipole field, rotation axis)
- Dependence on surface field strength
- Modest dependence on M/R
- QED effects

QED Effect: Vacuum Polarization in Strong B



Heisenberg & Euler, Weisskopf, Schwinger, Adler...

Dielectric tensor: $\boldsymbol{\varepsilon} = \mathbf{I} + \Delta \boldsymbol{\varepsilon}_{\mathrm{vac}}$

 $|\Delta \varepsilon_{\rm vac}| \sim 10^{-4} (B/B_Q)^2$, with $B_Q = 4.4 \times 10^{13} \text{ G}$

Two photon modes in magnetized vacuum: Ordinary mode (//) Extraordinary mode (⊥)

Influence polarization signals in two ways:

In NS atmosphere: mode conversion
 Polarization evolution in magnetosphere: mode decoupling

QED Effect in NS Atmosphere

Dielectric tensor of magnetized plasma including vacuum polarization

 $\boldsymbol{\mathcal{E}} = \mathbf{I} + \boldsymbol{\Delta}\boldsymbol{\mathcal{E}}^{(\text{plasma})} + \boldsymbol{\Delta}\boldsymbol{\mathcal{E}}^{(\text{vac})}$

where $\Delta \mathcal{E}^{(\text{vac})} \sim 10^{-4} (B/B_Q)^2 f(B)$, with $B_Q = 4.4 \times 10^{13}$ G, $f(B) \sim 1$

cf. Gnedin, Pavlov & Shibanov 1978; Meszaros & Ventura 1978, etc

Vacuum resonance:

 $\Delta \mathcal{E}^{(\text{plasma})} + \Delta \mathcal{E}^{(\text{vac})} \sim 0$ depends on $-(\omega_p/\omega)^2 \propto \rho/E^2$

 $\square \rho_{\text{vac}} = 1.0 B_{14}^{2} f(B)^{-1} (E/1 \text{ keV})^{2} \text{ g cm}^{-3}$

At resonance, X-mode and O-mode are "similar"

Polarization of photon modes



B=10¹³ G, E=5 keV, θ_{B} =45°

Adiabatic Condition:
$$|n_1 - n_2| \gg (\cdots) |d\rho/dr|$$

$$E \gtrsim E_{ad} = 2.5 (\tan \theta_B)^{2/3} (1 \text{ cm/H})^{1/3} \text{ keV}$$

Photons with E > 2 keV, mode conversion



Photons with E < 2 keV, no mode conversion

In general, nonadiabatic "jump" probability

$$P_{\text{jump}} = \exp \left[-(\pi/2) (E/E_{\text{ad}})^3\right]$$

Recall

-- X-mode and O-mode have different photospheres

--
$$\rho_{\rm vac} = 1.0 B_{14}^{-2} f(B)^{-1} (E/1 \text{ keV})^2 \text{ g cm}^{-3}$$

For B < $7 \times 10^{13} T_6^{-1/8} E_1^{-1/4} G$:

Vacuum resonance lies outside both photospheres





Plane of linear polarization at <1 keV is perpendicular to that at >4 keV.

For B > $7 \times 10^{13} T_6^{-1/8} E_1^{-1/4} G$:

Vacuum resonance lies between the two photospheres



B=5×10¹⁴G Model



Plane of linear polarization at different E coincide.

For B > $7 \times 10^{13} T_6^{-1/8} E_1^{-1/4}$ G: Spectrum is significantly affected by vacuum polarization effect



Two Examples of AXP Spectra

AXP 4U0142+61 (Chandra-HETGS) BB T=0.4 keV, power-law n=3



Juett et al. 2002; Patel et al 2003

Tiengo et al.2002

Ion cyclotron absorption E_{Bi} =0.63 B_{14} keV Why not see?

AXP 1E1048-5937 (XMM-Newton)

BB T=0.6 keV, Power-law n=2.9

QED at work

B=7×10¹³G Model



Van Adelsberg & DL 2006

Recapitulation: Effect of Vacuum Resonance on Surface Emission

For B<7×10¹³G ($\rho_{vac} < \rho_{o-mode} < \rho_{x-mode}$)

- Negligible effect on spectrum (spectral line possible: already observed?)
- Dramatic effect on X-ray polarization signals (plane of linear polarization depends E)
 --- A "clean" QED signature

For B>7×10¹³ G ($\rho_{o-mode} < \rho_{vac} < \rho_{x-mode}$)

• Dramatic effect on spectrum

(suppress absorption lines, soften hard tails: observations of magnetars)

• Polarization signals affected by QED: plane of linear polarization coincides for different E



QED Effect in Magnetospheres (=Magnetized Vacuum) Propagation of Polarized Radiation

Propagation of Polarization from NS Surface to Observer What if emission is from large patch of star? Complex surface field?

Recall: At the surface, the emergent radiation is dominated by one of the two modes (let's say X-mode, polarized \perp the local **B**).

If polarization were parallel-transported to infinity, the net polarization (summed over observable surface of the star) would be reduced.



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This is incorrect! (Heyl & Shaviv 2002; Lai & Ho 2003...)

Vacuum Polarization in Strong B Virtual photon e^+ Virtual photon

Dielectric tensor outside the neutron star: $\mathcal{E} = \mathbf{I} + \Delta \mathcal{E}^{(vac)}$

where $\Delta \mathcal{E}^{(\text{vac})} \sim 10^{-4} (B/B_Q)^2 f(B)$, with $B_Q = 4.4 \times 10^{13}$ G, $f(B) \sim 1$

Two photon modes in magnetized vacuum: Ordinary mode (//) Extraordinary mode (\perp) $n_1 \neq n_2$

Propagation of Polarization from NS Surface to Observer Through Magnetized Vacuum



polarization limiting radius >> R

Polarization states of photons from different patches of the star are aligned at large r, and (largely) do not cancel --- Thanks to QED!

But... Propagation through quasi-tangential region



Wang & DL 2009

Polarization map of polar cap (hot spot)





Wang & DL 2009

Reduction of linear polarization due to quasi-tangential propagation



Wang & DL 2009

Polarization map of the whole NS





Propagation of Polarization from NS Surface to Observer Through Magnetized Vacuum



Polarization states of photons from **most** region of the NS surface are aligned at large r, and do not cancel ---- Thanks to QED!

===>

Observed polarization direction depends only on the dipole component of the field, regardless of surface field structure.

(Recall: Intensity light curves depend on surface field structure)

Summary

- Surface emission from magnetized neutron stars is highly polarized.
- X-ray polarization probes B-fields, geometry, beam patterns. Complementary to light curve and spectrum (polarization signal may still be interesting even when spectrum or lightcurve is boring.)
- Strong-field QED (vacuum polarization) plays an important role in determining the X-ray polarization signals:
 - 1. Gives rise to clean energy-dependent polarization signatures For B<7×10¹³G, the plane of polarization at E<1 keV is \perp that at E>5 keV; For B>7×10¹³G, polarization planes coincide (but spectrum is affected).
 - 2. Aligns the polarization states of photons from different patches of the star so that net polarization remains large.

Probe strong-field QED.

Probing Axions with Magnetic Neutron Stars

Probing Axions with Magnetic NSs

Axions: pseudoscalar particles, arise in the Peccei-Quinn solution of the strong CP problem; could be dark matter candidates (1980+) Recent motivation from string theory

Can be produced or detected through the **Primakoff process:**

$$\mathcal{L}_{a\gamma} = -\frac{1}{4} g_{a\gamma} F_{\mu\nu} \tilde{F}^{\mu\nu} a = g_{a\gamma} \mathbf{E} \cdot \mathbf{B} a \qquad \qquad \mathbf{a} \cdot \mathbf{f}^{\mu\nu} \mathbf{a} = g_{a\gamma} \mathbf{E} \cdot \mathbf{B} a$$

==> //-component of photon can be coupled to axion

Current constraints on axion mass and coupling parameter



arXiv:0810.1874 (CAST collaboration)

In the atmosphere and magnetized vacuum of NSs, photons (//-polarization comp) can convert into axions

==> modify radiation spectra and polarization signals

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Can in principle probe axions with parameters inaccessible by other experiments/constraints.

Unclear if we can separate out astrophysical uncertainty of the sources.

(cf. Other indirect search of WIMPs)

Thank you!

Power-law emission of magnetars

- Likely due to resonant up-scatterings of surface photons by magnetosphere electrons/positrons (Thompson et al 2002; Fernandez & Thompson 2007)
- Magnetosphere charges (super-GJ) arise from twisting of field lines by crust (Thompson et al 2002; Beloborodov & Thompson 2007; Thompson 2009)

$$\nabla \times \mathbf{B} = \frac{4\pi}{c} \mathbf{J}, \quad n_e = J/(ec)$$

• Spectral modeling by Fernandez & Thompson 2007 and Nobili et al 2008

• My guess is that the input polarization will be mostly perserved...



In the atmosphere and magnetized vacuum of NSs, photons (//-polarization comp) can convert into axions

