

# Kinematics of Giant Pulses

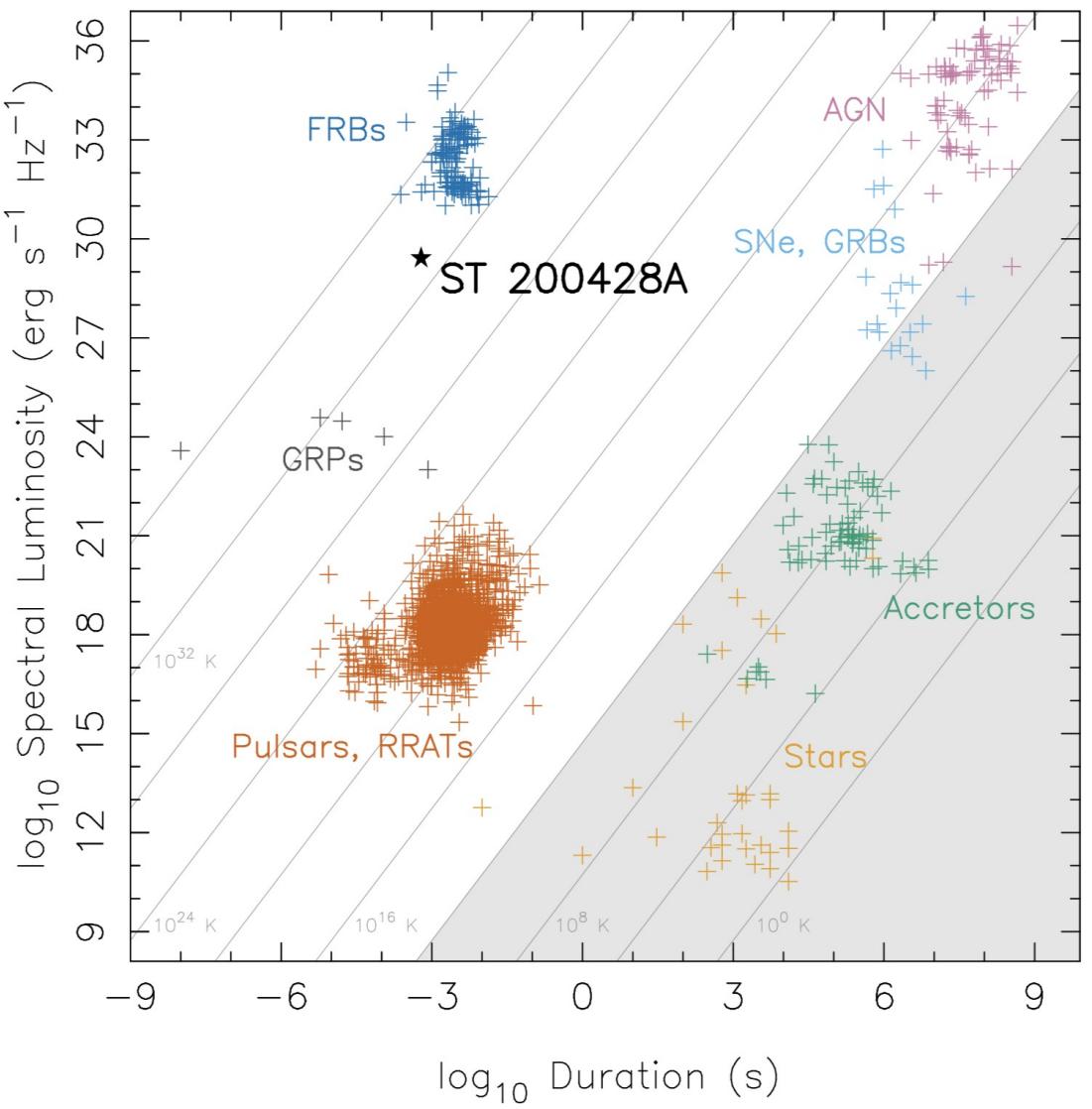
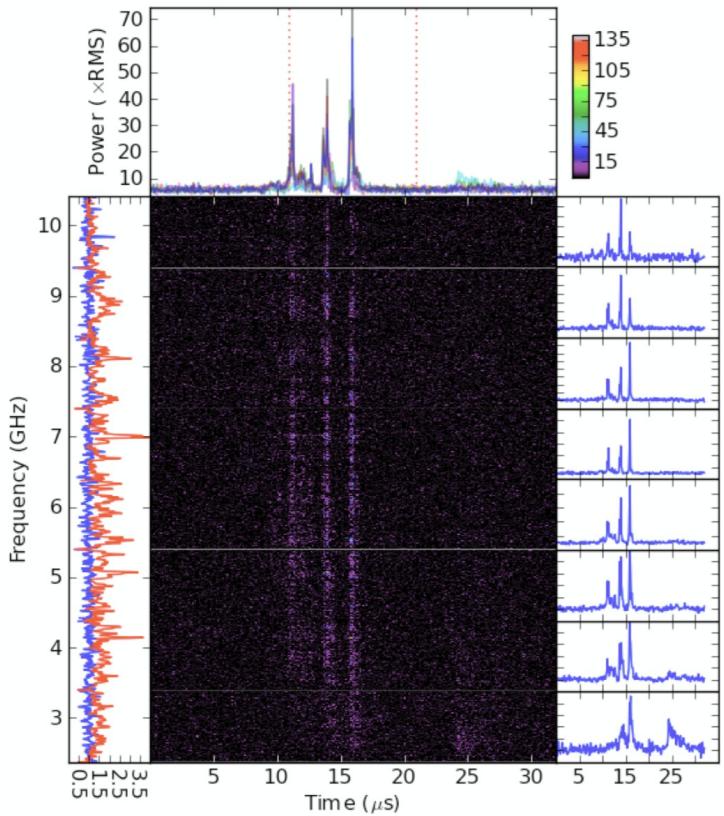
Scintillation resolves emission regions,  
suggesting highly relativistic motion

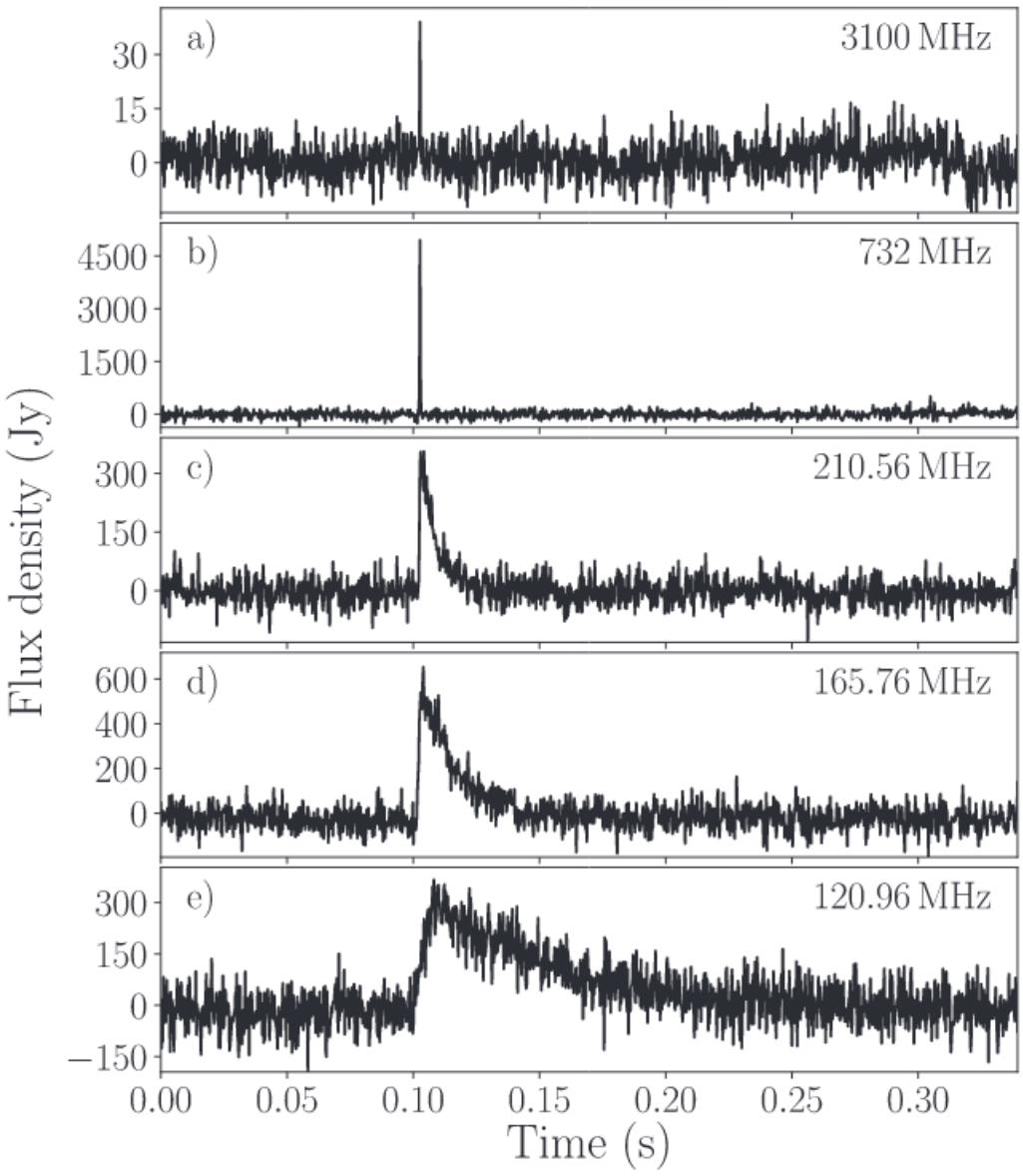
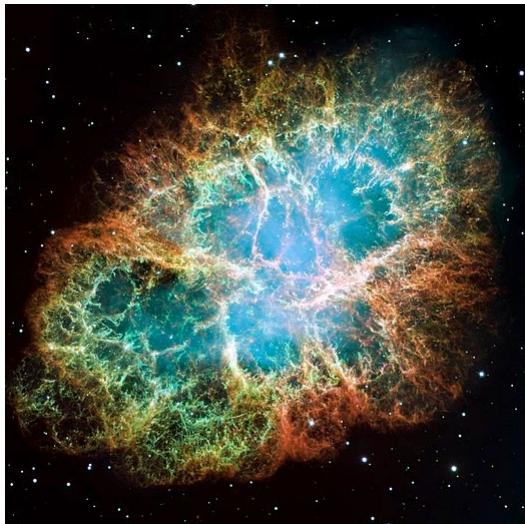
$\Gamma \sim 10^4$ ,  $\sim R_{LC}$  on sky,  $\sim \Gamma R_{LC}$  radially

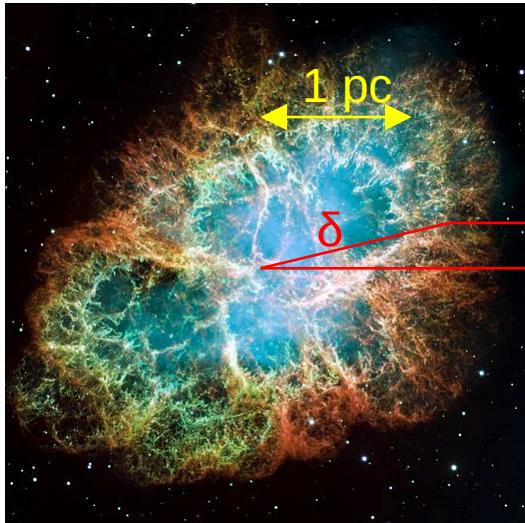
Marten van Kerkwijk,  
Robert Main, Rebecca Lin, Akanksha Bij  
(and the scintillometry group, in particular  
Dongzi Li, Hsiu-Hsien Lin, Nikhil Mahajan)



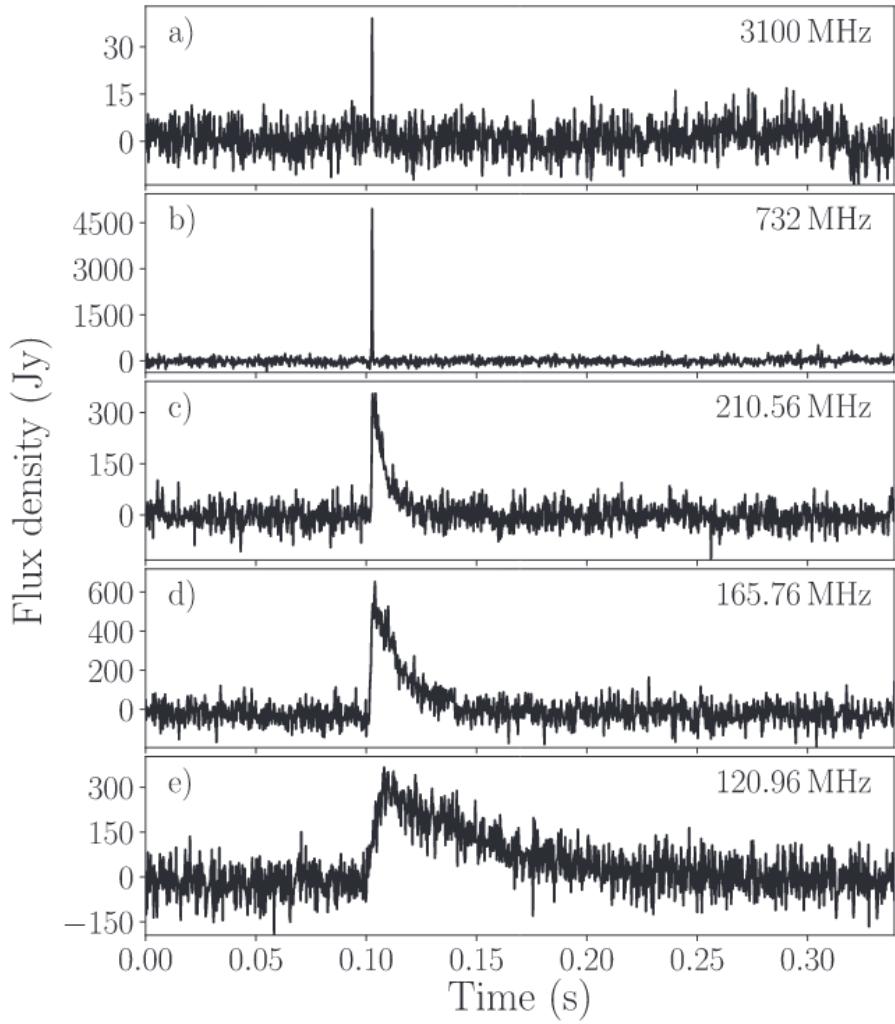
astropy-powered  
[astropy.org](http://astropy.org)







$$\tau = \frac{\delta^2}{2cd} \propto \lambda^4$$

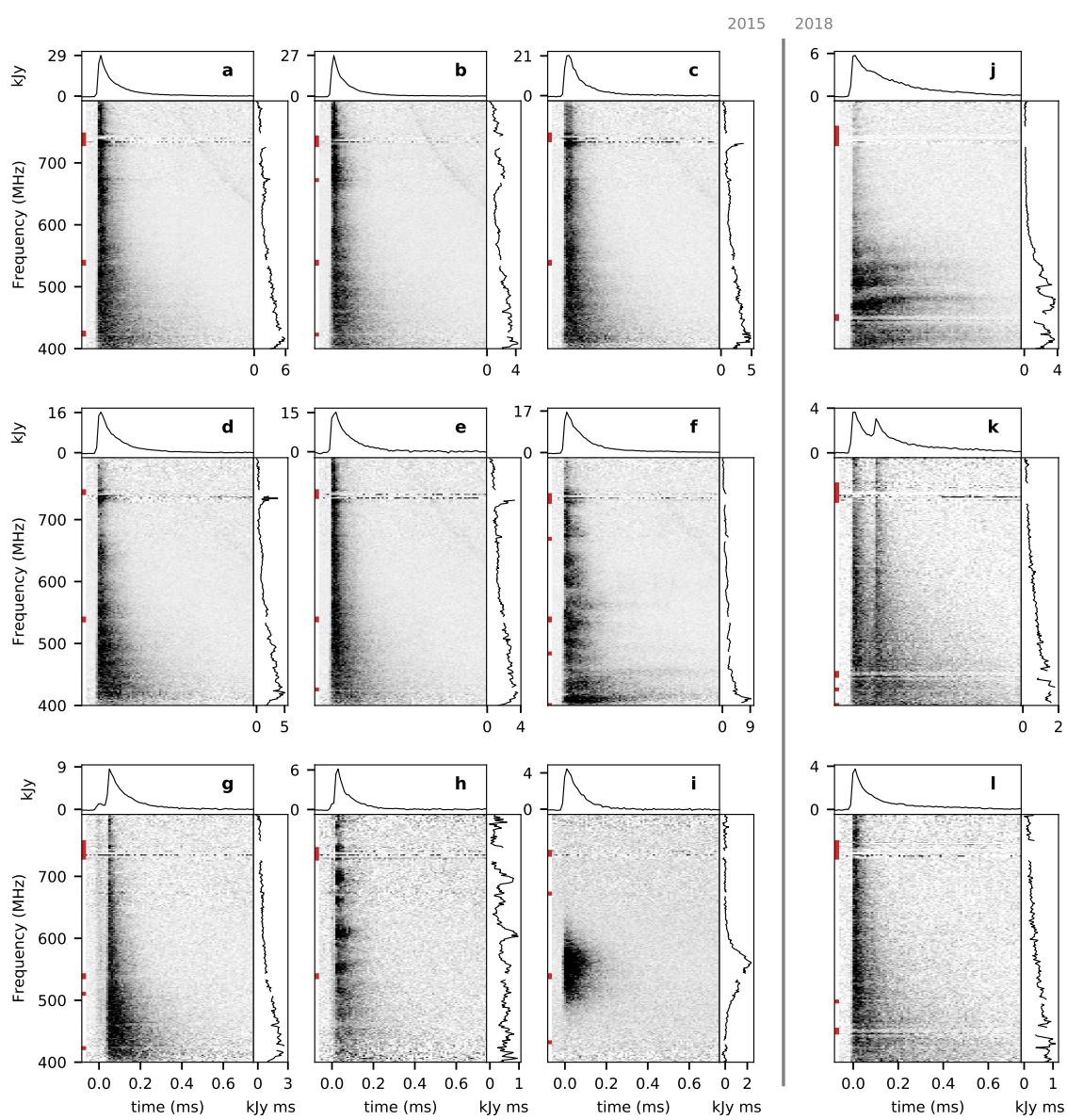


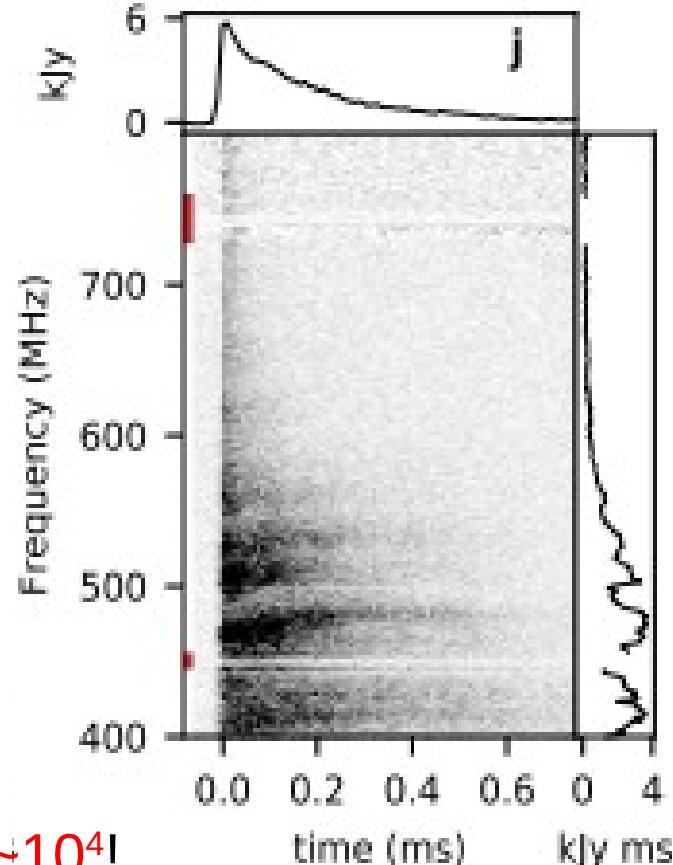
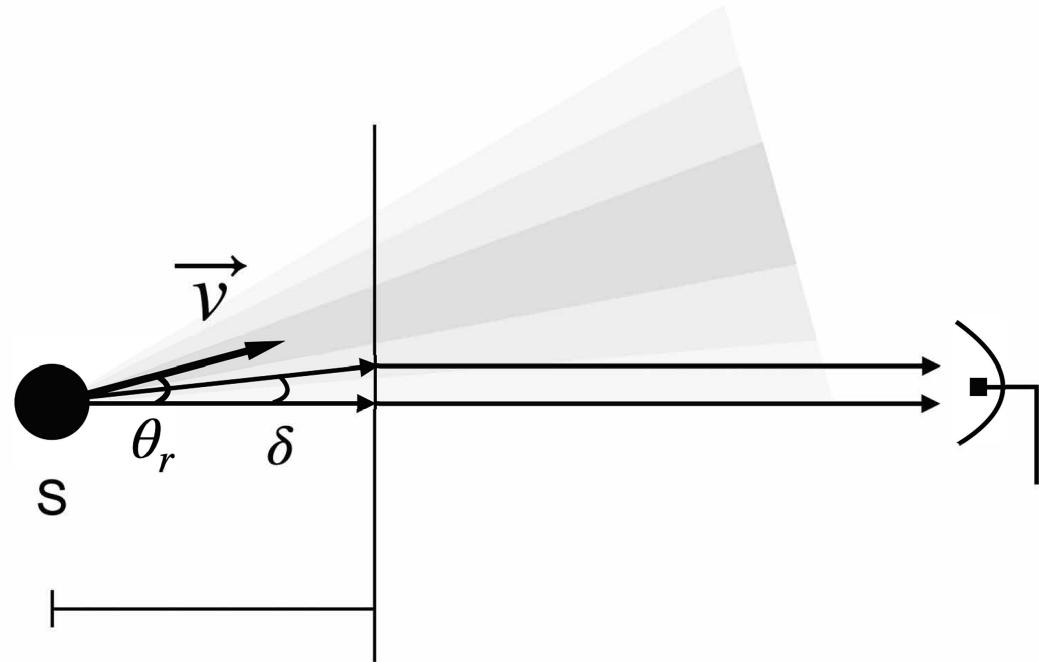


## Giant pulses from ARO

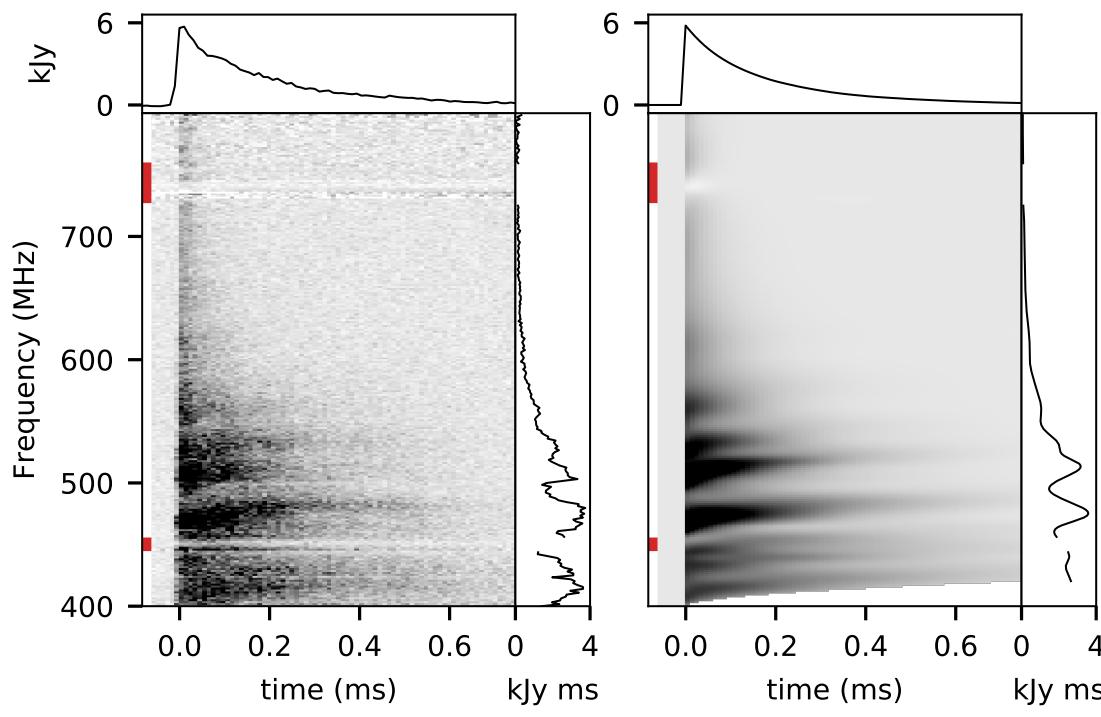
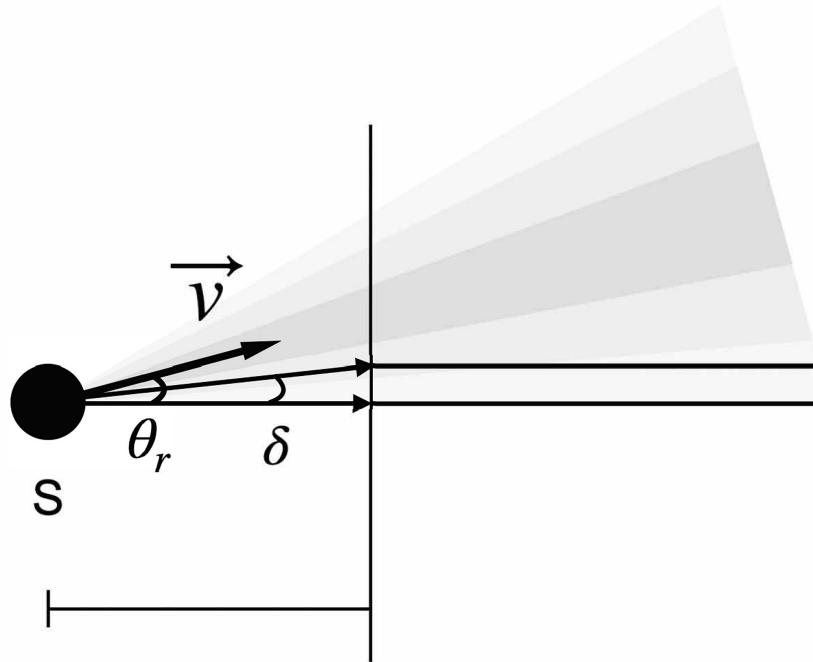
- CHIME band: see scattering tails (longer in 2018).
- Some have bands: represents interference between nanoshots.
- Some *drift!*

How can this happen given that viewing angle only changes by  $\sim 0.6''$ ?



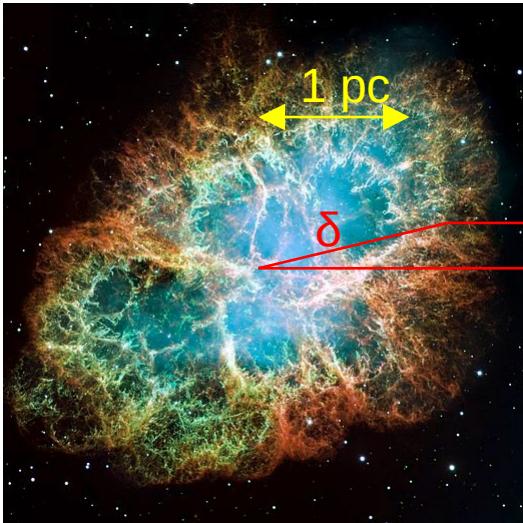


- Doppler shift? Has expected  $t^{1/2}$  dependence.
- But to get  $\sim 5\%$  shift with  $\theta_r \sim \delta \sim 0.6''$ , need  $\Gamma \sim 10^4$ !



Bij et al., 2021, ApJ 920:38

- Doppler shift? Has expected  $t^{1/2}$  dependence.
- But to get  $\sim 5\%$  shift with  $\theta_r \sim \delta \sim 0.6''$ , need  $\Gamma \sim 10^4$ !
- Will lead to apparent superluminal motion on sky.

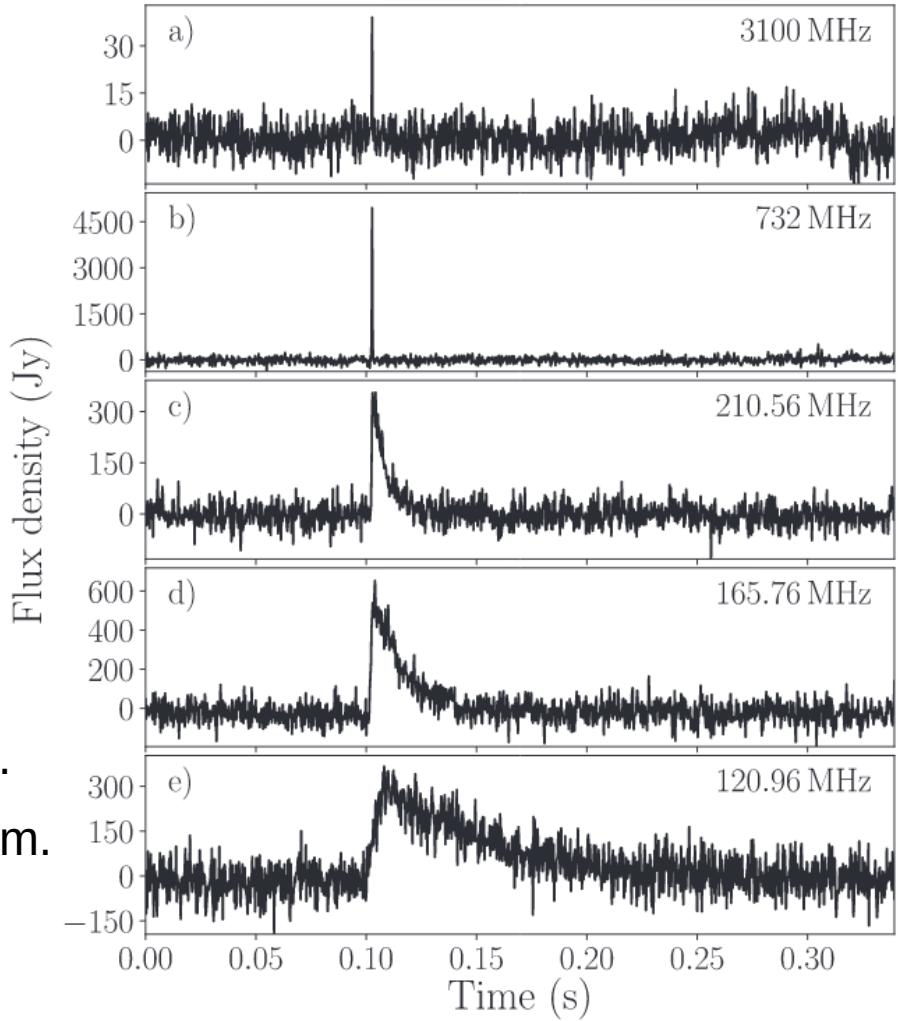


$$\tau = \frac{\delta^2}{2cd} \propto \lambda^4$$

$$\Delta x \approx d \frac{\lambda}{D} = \lambda \sqrt{\frac{d}{8c\tau}}$$

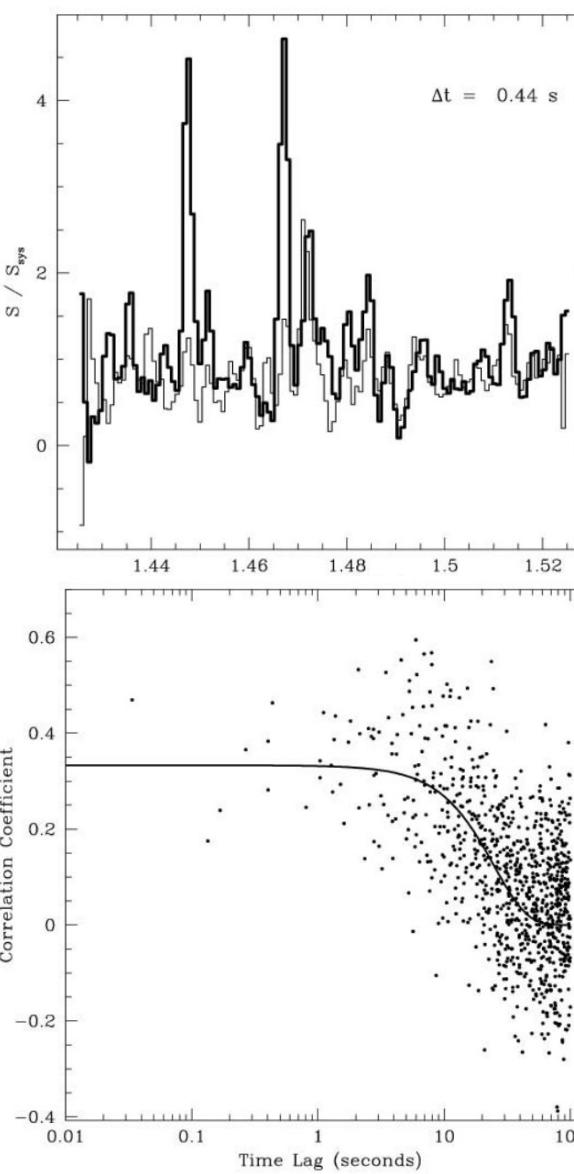
At 1.5 GHz,  $\tau \sim \mu\text{s}$ ,  
hence  $\sim 500$  km resolution.

Compare with  $R_{LC} \sim 1600$  km.



## Giant pulses from Arecibo

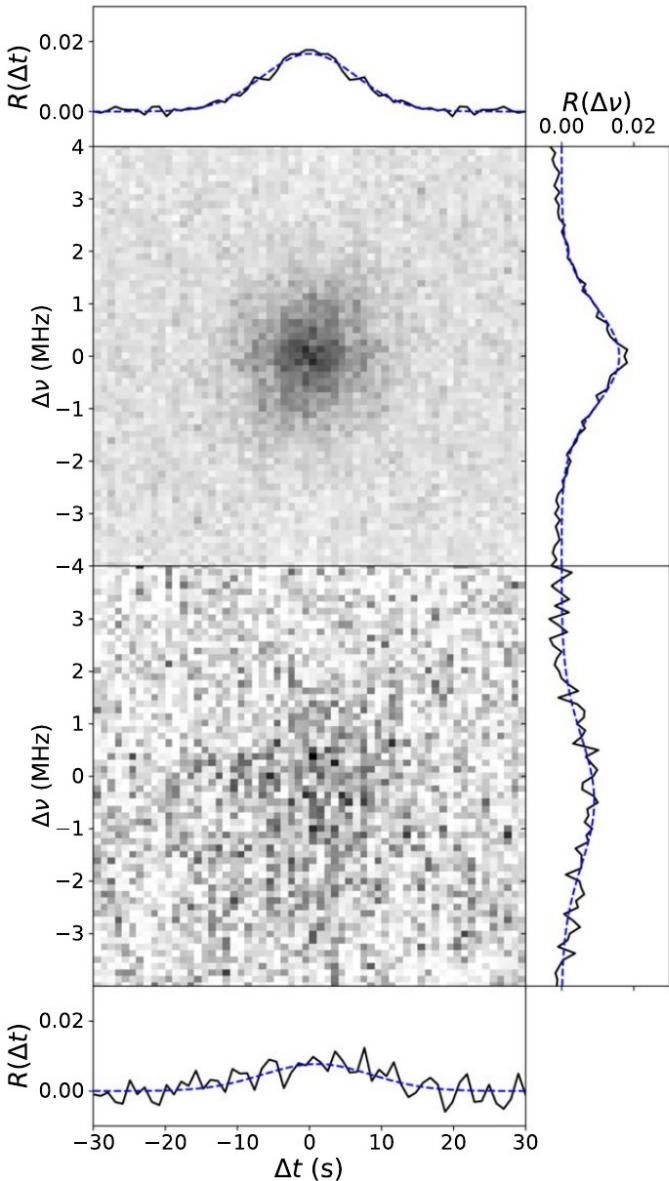
- Maximum correlation of 1/3 due to internal pulse structure.
- Timescale consistent with resolution and pulsar velocity.



Cordes et al., 2004, ApJ 612, 375

## Giant pulses from Westerbork

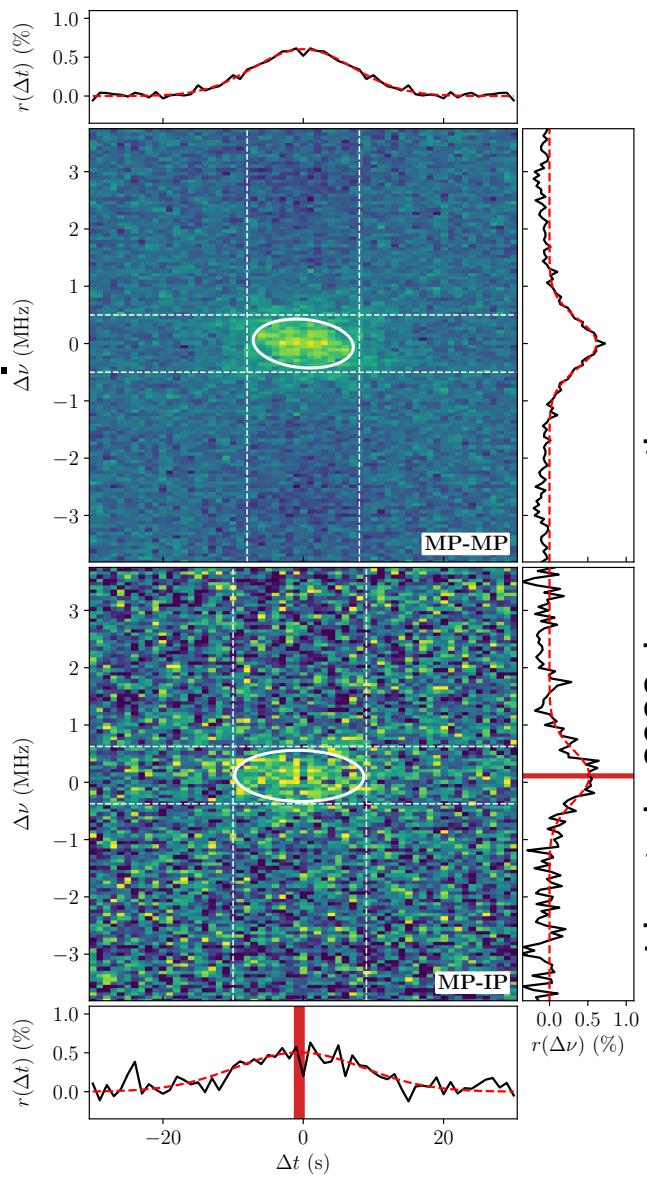
- Timescale bit shorter (resolution better).
- Interpulse region larger.
- Interpulse possibly offset on sky.
- Amplitude strangely low, ~2%
- $\tau \sim 1\mu\text{s}$ ,  $\Delta\nu \sim 1.1\text{MHz}$ , hence  $2\pi\tau\Delta\nu \sim 7$ , not ~unity.



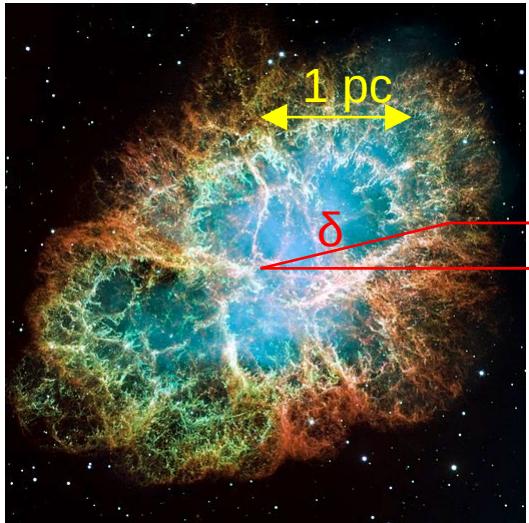
Main et al., 2021, ApJ 915:65

## Giant pulses from EVN

- Stronger scattering, hence higher resolution.
- Timescale similar: dominated by size of emission region,  $\sim 850$  km.
- Interpulse clearly larger,  $\sim 1050$  km.
- Amplitude now *very* low,  $\sim 0.8\%$ , hence pulse pairs mostly *resolved*.
- $\tau \sim 5\mu\text{s}$ ,  $\Delta\nu \sim 0.46\text{MHz}$ , hence  $2\pi\tau\Delta\nu \sim 14$ , not  $\sim\text{unity}$ .



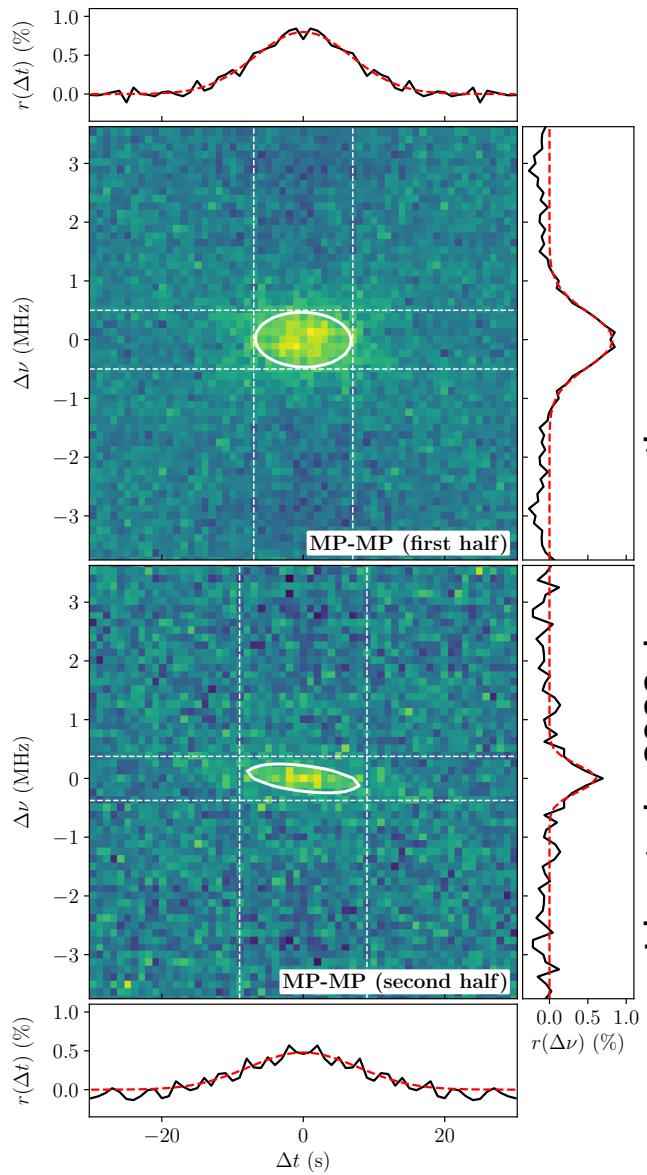
Lin et al., 2022, in preparation



$$\tau = \frac{\delta^2}{2cd} \propto \lambda^4$$

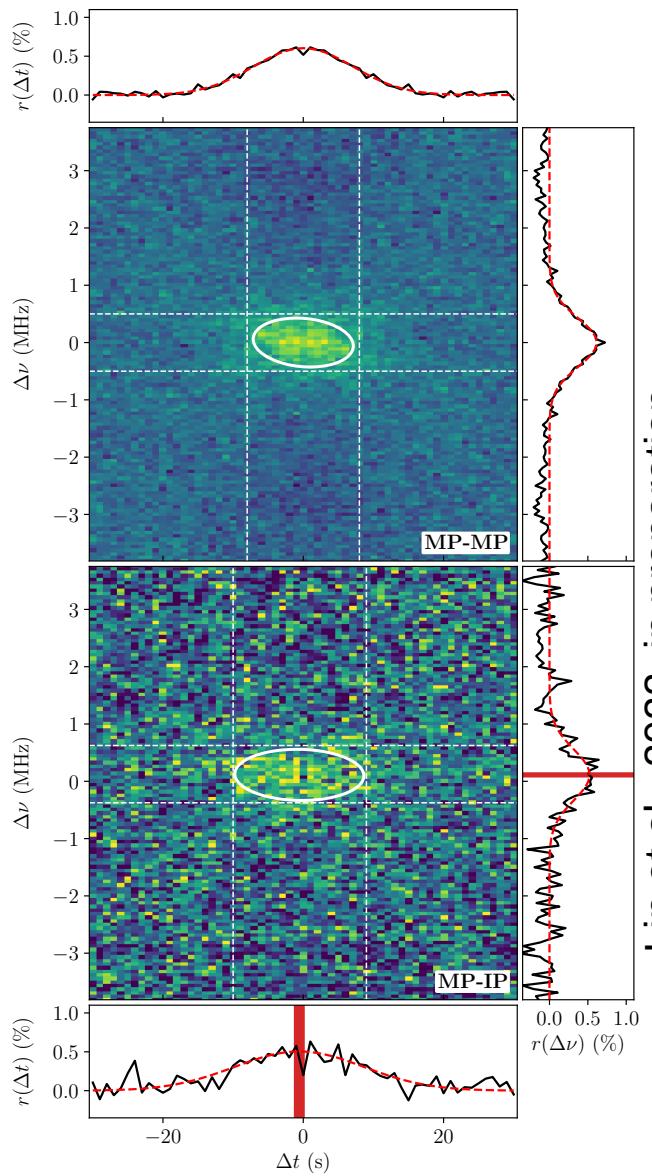
$$\Delta x \approx d \frac{\lambda}{D} = \lambda \sqrt{\frac{d}{8c\tau}}$$

- First half lower resolution, hence broader.
- Timescale similar: really dominated by size of emission region.



## Giant pulses from EVN

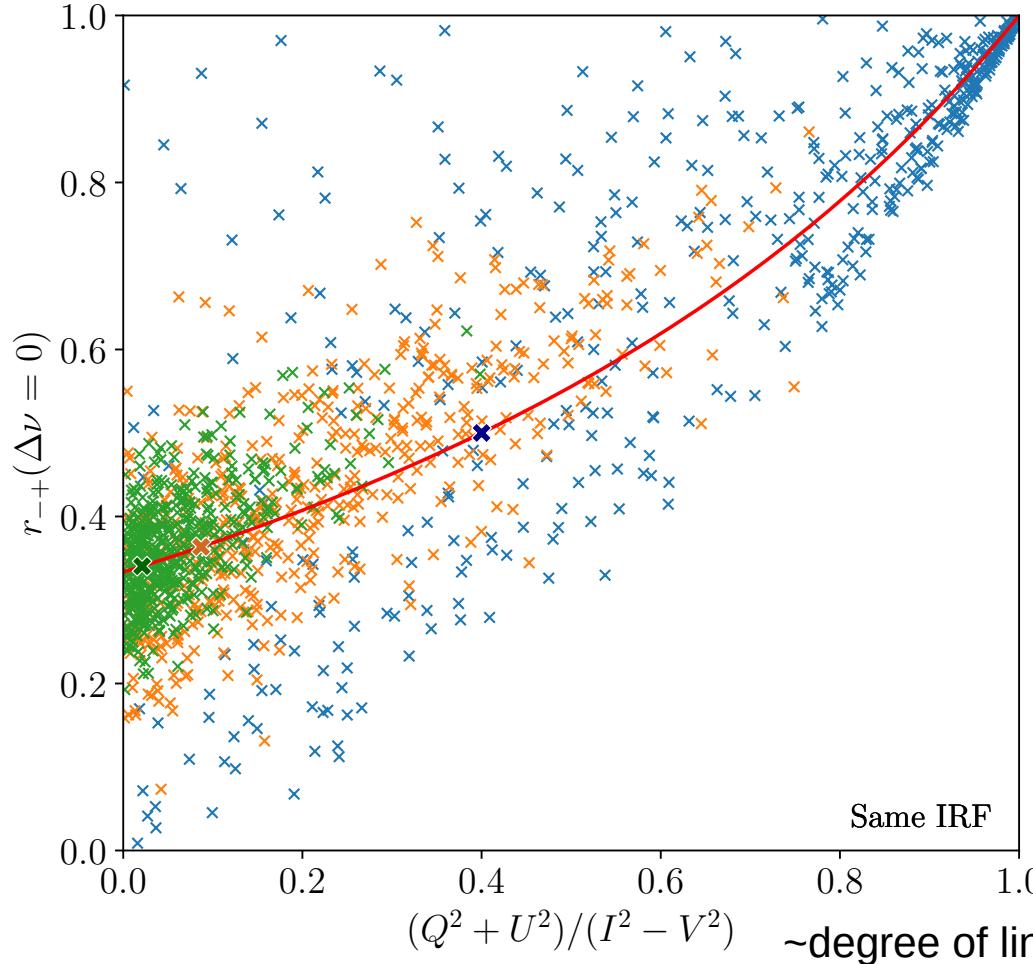
- Stronger scattering, hence higher resolution
- Timescale similar: dominated by size of emission region,  $\sim 850$  km.
- Interpulse clearly larger,  $\sim 1050$  km.
- Amplitude now *very* low,  $\sim 0.7\%$ , hence pulse pairs mostly *resolved*.
- $\tau \sim 5\mu\text{s}$ ,  $\Delta\nu \sim 0.46\text{MHz}$ , hence  $2\pi\tau\Delta\nu \sim 14$ , not  $\sim \text{unity}$ . (but  $\sim 1/\sqrt{A}$ )
- **Can all be understood quantitatively!**  
(Gwinn et al. 1998, ApJ, 505, 928; Lin et al. 2022)
- But what about nanoshot constituents?  
Are those resolved?  
Test using left vs right polarization.



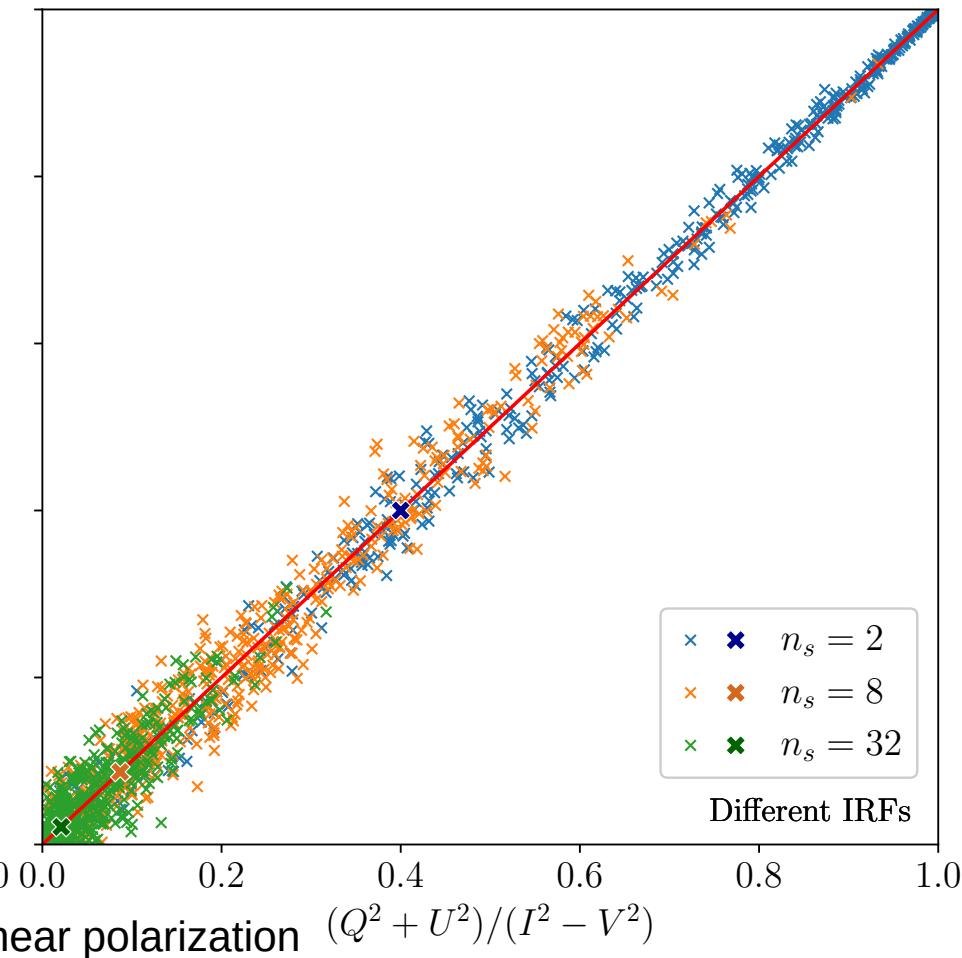
Lin et al., 2022, in preparation

# SIMULATIONS

NOT RESOLVED



RESOLVED



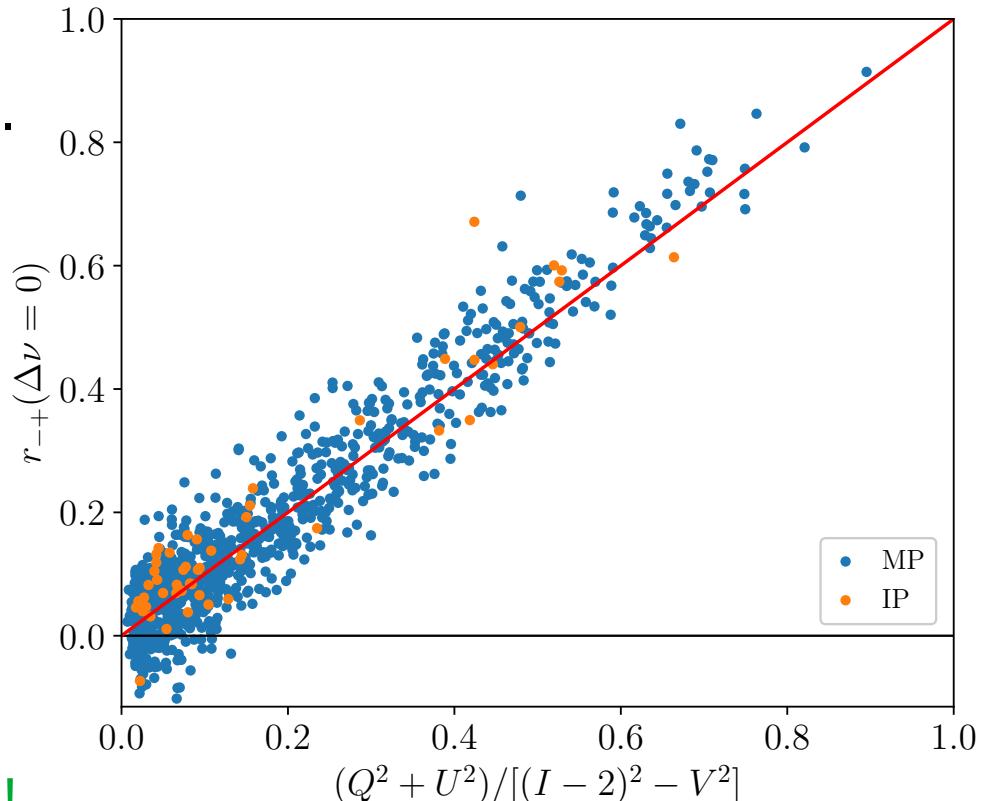
## Giant pulses from EVN

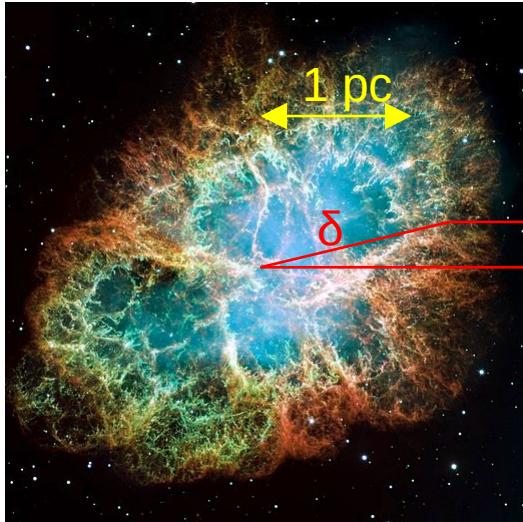
- Correlation between polarizations depends on degree of polarization.
- Goes to zero: hence individual nanoshots that make up giant pulses are *resolved*.  
(Independently: power spectra have unity modulation)

- **WEIRD**: separated by  $\sim \mu\text{s}$ , hence  $\sim 300 \text{ m}$  light travel time.

How can such small sizes  
be resolved?

Superluminal motion to the rescue!





# Conclusions



## Using the nebula as a microscope

- Resolve main and interpulse emission regions and measure velocity of emitting plasma:  
 $\Gamma \sim 10^4$ ,  $\sim R_{LC}$  on sky,  $\sim \Gamma R_{LC}$  along line of sight
- If similar for FRBs, much reduced energy budget.
- Consistent with free electron maser picture of Lyutikov 2021, ApJ 922:166
- Or cause emission as “moving mirrors”?  
Yalinewich & Pen, 2022, MNRAS 515, 5682

Alternative:  
scattering in  
striped wind?  
(i.e., nanoshots  
are echos)